

# Measurement Uncertainty in Microbiological Examination of Foods

Eurachem – AOAC Europe Workshop 29 May 2017

Hilde Skår Norli

Norwegian Veterinary Institute



**Veterinærinstituttet**  
Norwegian Veterinary Institute



# Contents

- Requirements from accreditation bodies
- Sources of uncertainty
- Distribution & expected standard deviations on microbiological examinations
- Estimation of MU in quantitative methods using standard deviation of internal reproducibility
- Checking the estimate



# Requirements Accreditation Agency (Norway)

## Qualitative analysis

- Identifying and weighting sources of uncertainties (2002)
- Be aware of /estimate the LOD, sensitivity and specificity

## Quantitative analysis

- Identifying and weighting uncertainty sources
- Estimate the measurement uncertainty (2010)



# Sources of uncertainty



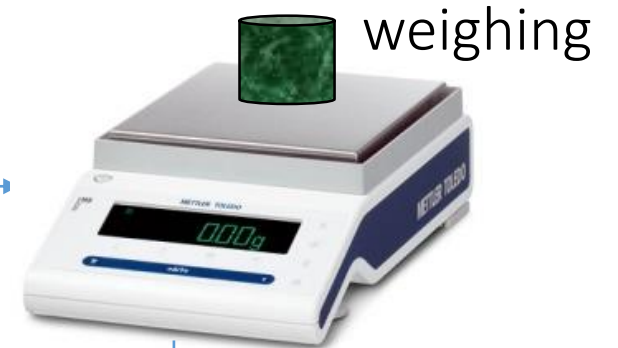
Sampling



Storage



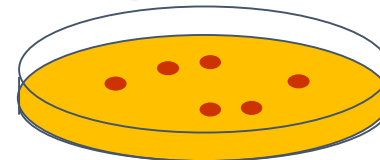
Homogenization



weighing



pipetting  
Initial suspension/  
primary dilution  
and decimal dilutions

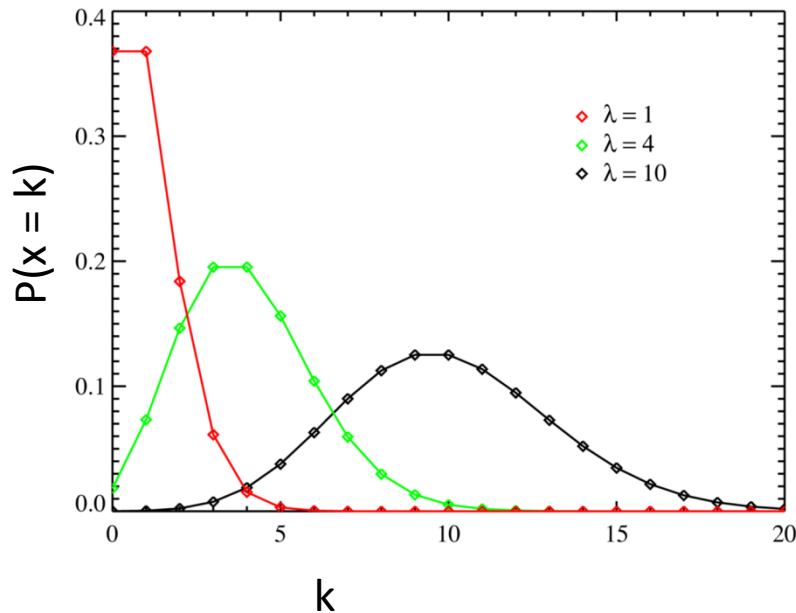


Colony counting

**growth and death**



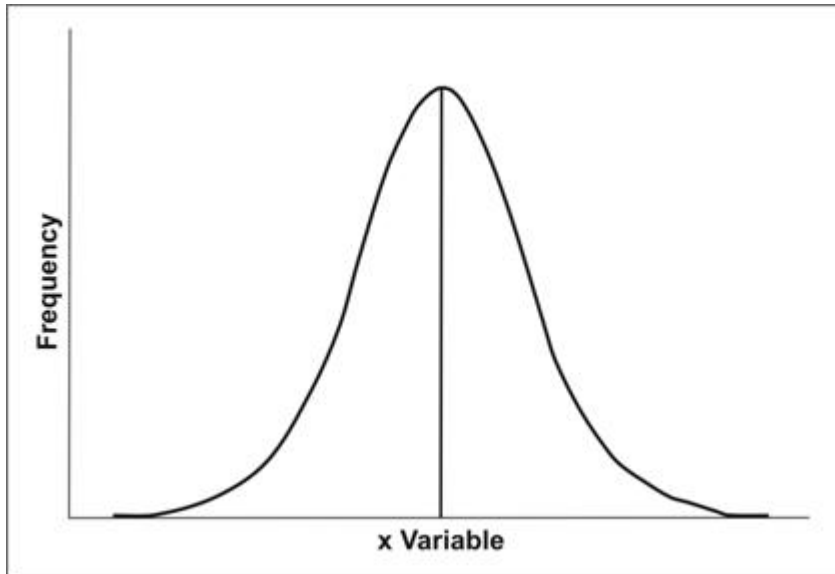
# Distribution - Poisson



- Dividing the population in two parts; whereof one of the two happenings occurs with a probability  $p$  and the other with a probability of  $q$ , and  $p + q = 1$ .  
When one of the happenings,  $p$ , is small we have Poisson distribution.
- The probability of finding the target bacteria might be small  $\rightarrow$  Poisson distribution



# Distribution - Normal



In order to obtain normal distribution the results need to be transformed into  $\log_{10}$  before statistical calculations are carried out.



# Use of RSD

RSD = relative standard deviation

$$\text{RSD} = \text{SD} / \bar{X} \cdot 100$$

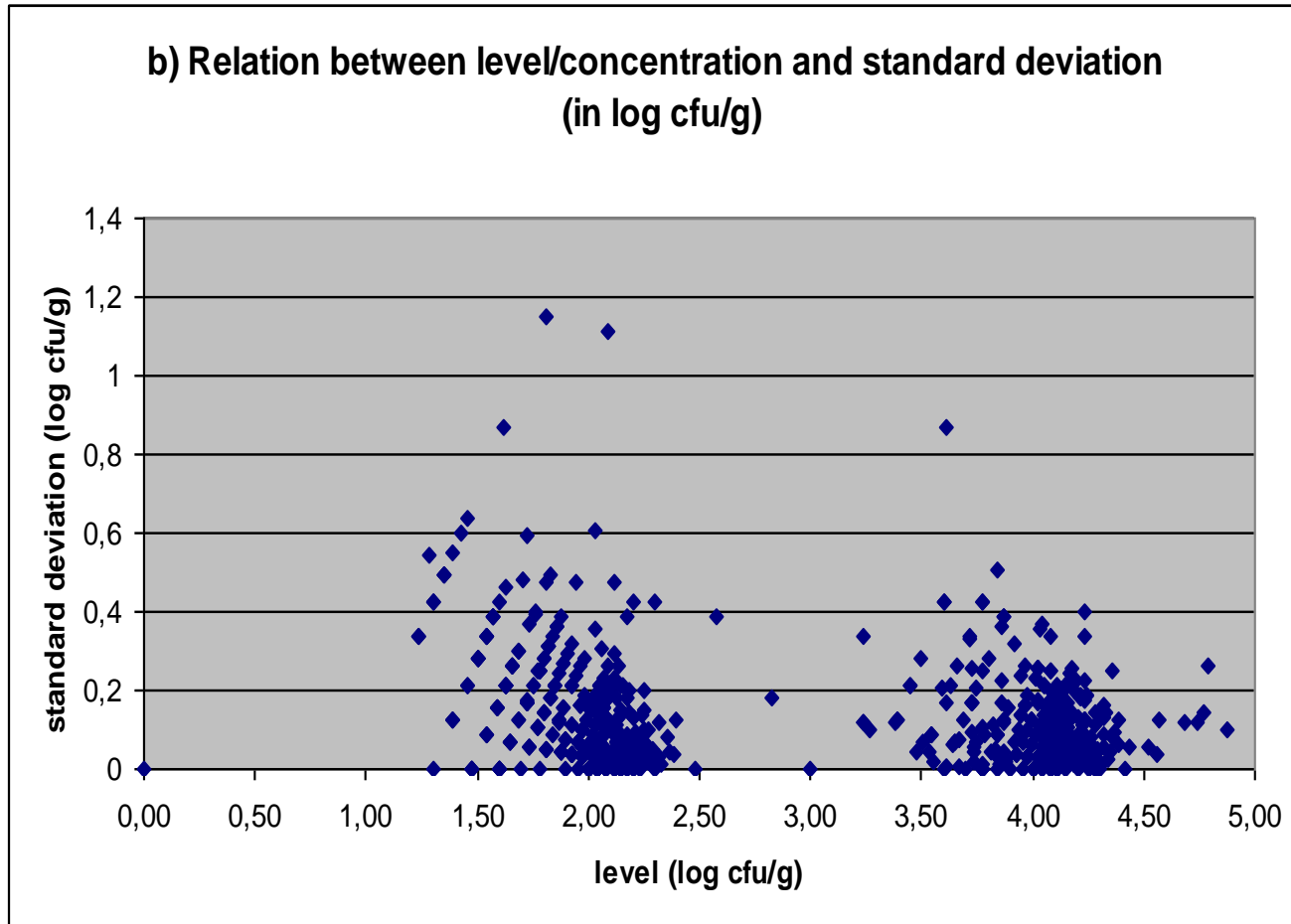
Chemistry: RSD is used in MU

Microbiology: RSD should not be used

- SD is constant for different levels



# Relation between level and SD



- 681 parallels (1362 analyses) of different microbes
- no increase in SD by increasing level, the relation is almost constant. No RSD!
- 98% of the results are below  $0.5 \log_{10}$  cfu/g,
- 96% of the results are below  $0.4 \log_{10}$  cfu/g,
- 94% of the results are below  $0.35 \log_{10}$  cfu/g,
- $SD < 0.4 \log_{10}$  cfu/g (at 95% confidence)





# Estimation of Measurement Uncertainty

NMKL Proc 8, 2004 and ISO/NP 19036:2016 (current 2006)

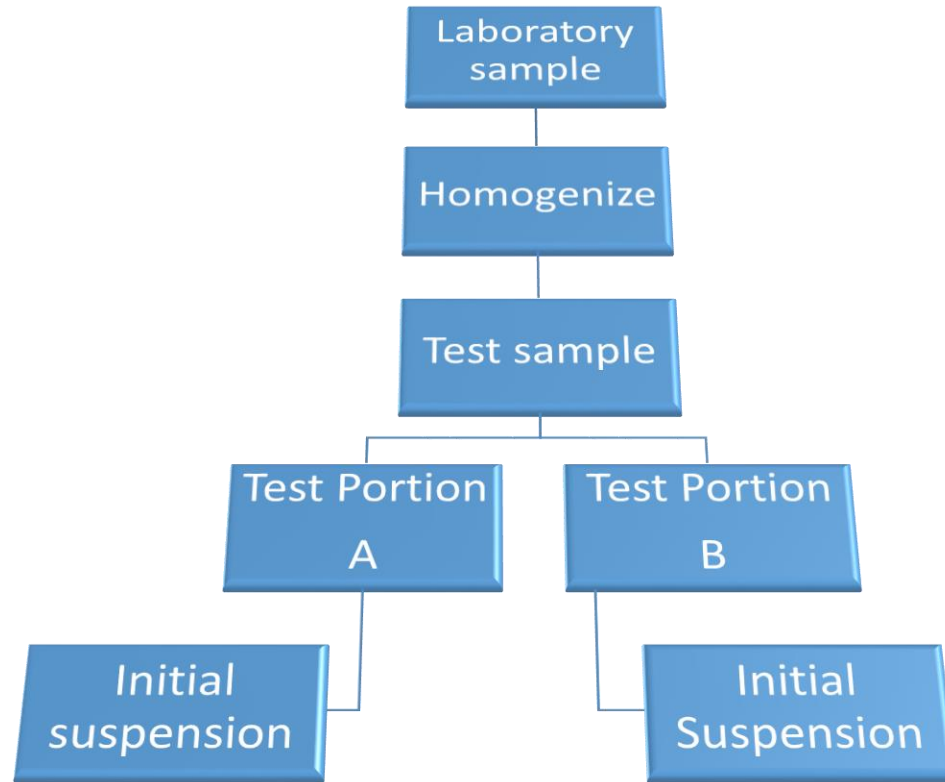
- Use of  $\log_{10}$  data
- Global approach (not step by step)
- Standard deviation of the internal reproducibility
  - Reproducible conditions: different time, analysts, reagents
- Standard deviation of reproducibility of the method derived from an interlaboratory study
- Standard deviation of reproducibility derived from an PT-scheme.



# Design NMKL & ISO

NMKL:  
Relevant matrices  
Approved analyst

ISO: 10 lab samples



NMKL:  
10 results/  
plates  
From A




ISO:  
Result A

ISO:  
Result B

NMKL:  
10 results/  
plates  
from B



Reproducible  
conditions



## MU Study Plan

- Homogenize before and after microbial inoculate is added
  - ISO (EURL Listeria ): For a homogeneous matrix ;  $s_{\text{matrix}} = 0.1 \text{ log cfu/g}$
- Use of stressed organisms
- Not too low contamination level (Poisson distribution)
- Otherwise no need for several levels as  $s_r$  (in  $\text{log}_{10}$ ) is constant



## MU Design

NMKL:  
10 results  
from A +  
10 results  
from B



= 20 results

ISO: 10 lab samples

1 result  
from A

1 result  
from B

NMKL:

- Similar to collaborative study

$$S_{iR} = \sqrt{S_r^2 + S_L^2}$$

$S_{iR}$  = internal reproducibility,

$S_r$  = repeatability

$S_L$  = standard deviation between-series

ISO:

Standard deviation of the mean of the difference.

$$D = A_1 - B_1$$

$$S_{iR} = S_D$$

# Example: NMKL

No	A	B
1	3.67	3.50
2	3.66	3.66
3	3.72	3.50
4	3.85	3.70
5	3.70	3.40
6	4.02	3.80
7	3.87	3.65
8	3.90	3.50
9	3.74	3.48
10	3.45	3.50

Mean for each, A & B	3.76	3.57
SD for each, A & B	0.16	0.13
Combined SD of A+B	$\sqrt{(0.16^2 + 0.13^2)/2} = 0.14$	
Mean of A+B	$(3.76+3.57)/2 = 3.66$	
SD of A+B, $s_x$	$\sqrt{\frac{(3.76-3.66)^2 + (3.57-3.66)^2}{1}} = 0.13$	
$s_L^2$ – variance between A&B	$0.13^2 + 0.14^2/10 = 0.015$	
Reproducibility, $s_{iR}$	$\sqrt{0.14^2 + 0.015} = 0.19$	
MU = $2 \cdot u = 2 \cdot s_{iR}$	<b>0.38</b>	



# Example: ISO

No	A	B	(a-b) <sup>2</sup>
1	3.67	3.50	0.029
2	3.66	3.66	0.000
3	3.72	3.50	0.048
4	3.85	3.70	0.023
5	3.70	3.40	0.090
6	4.02	3.80	0.048
7	3.87	3.65	0.048
8	3.90	3.50	0.160
9	3.74	3.48	0.068
10	3.45	3.50	0.002
Sum			0.52

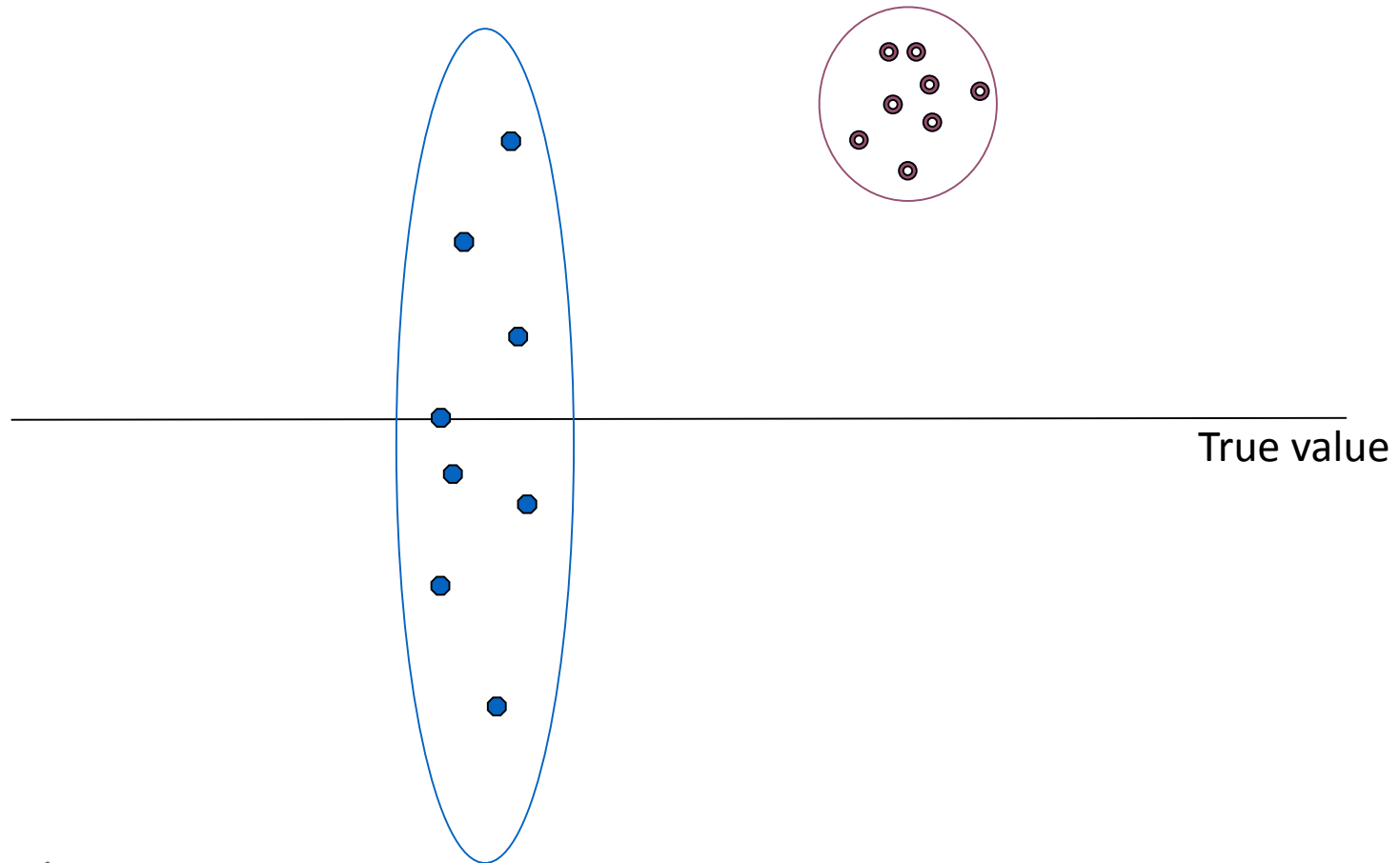
$$s_{iR} = \sqrt{\frac{\sum_{i=1}^n (a_i - b_i)^2}{2n}} = \sqrt{\frac{0.52}{2 \cdot 10}} = 0.16$$

$u = \sqrt{(s_{iR}^2 + s_{\text{Poisson}}^2 + s_{\text{matrix}}^2)}$	$= \sqrt{(0.16^2 + 0.1^2)}$ $= 0.19$
MU = 2 · u Unit	$= 2 \cdot 0.19 = \mathbf{0.38}$ log cfu/g

NMKL: MU = 2 x s <sub>R</sub>	<b>0.38 log cfu/g</b>
-------------------------------	-----------------------



# Trueness & precision



# Trueness / Bias

- Use of CRM
- Participation in PT-schemes

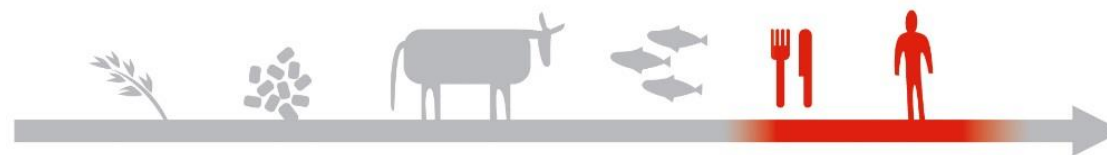
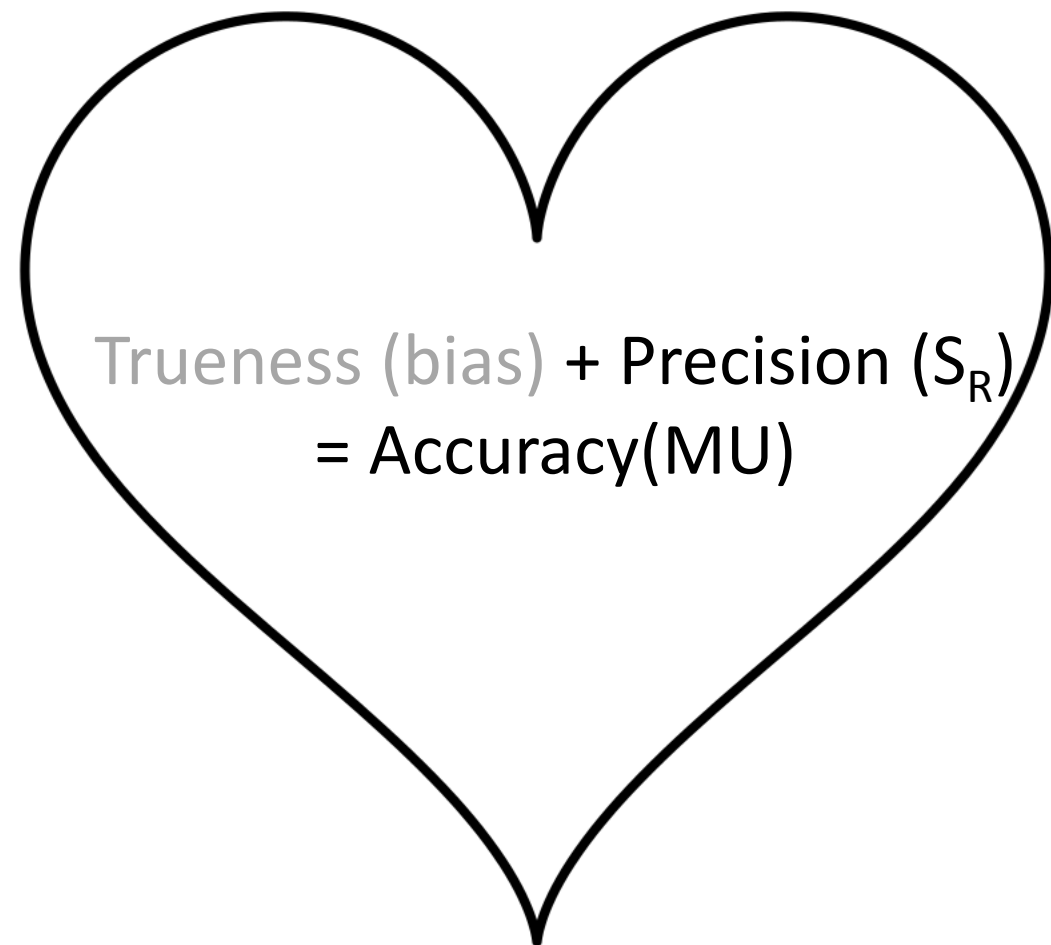
Participate in PT to check if the estimate of MU is OK

$$Y \in X \pm MU$$

Y = "true" value

∈ = belongs to

X = our obtained value





# Checking the estimate of MU

$$\text{Zeta-score, } \zeta = \left( \frac{(X - Y)}{\sqrt{u_{lab}^2 + \left(\frac{s_{PT}}{\sqrt{n}}\right)^2}} \right)$$

Z-score

X = our result

Y = "true result" (mean value)

u = standard uncertainty of our method

s<sub>PT</sub> = SD of true result (participants)



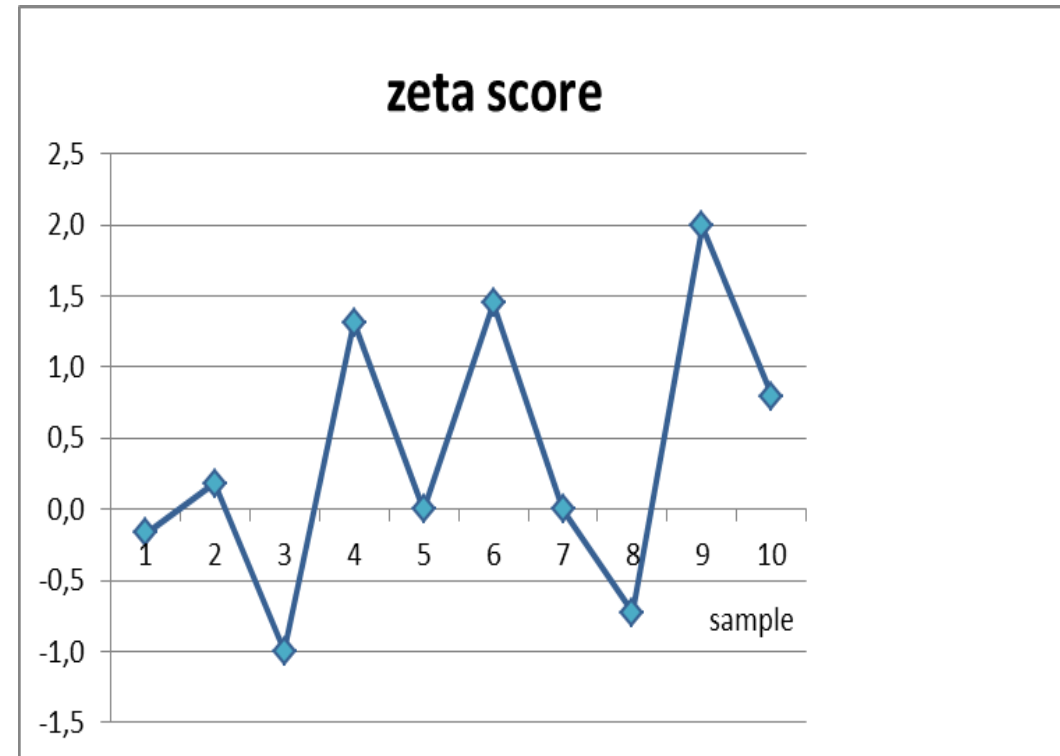
# Checking the estimate of MU

$$-2 \leq \text{zeta} / z \text{-score} \leq 2$$

Yes: the MU is OK,  
i.e. if  $S_R$  is OK ( $\leq 0.4 \log \text{cfu/g}$ )

1: MU might be too narrow  
and needs to be expanded.

2: MU might be too wide



Most importantly, Competence!!



**Veterinærinstituttet**  
Norwegian Veterinary Institute



# References

- NMKL Procedure No. 8, 4th Ed., 2004: Measurement of uncertainty in quantitative microbiological examination of foods
- NMKL Procedure No. 32, 2017 Verification of microbiological methods
- ISO/NP 19036:2016. Microbiology of the food chain – Guidelines for the estimations of measurement uncertainty for quantitative determinations

